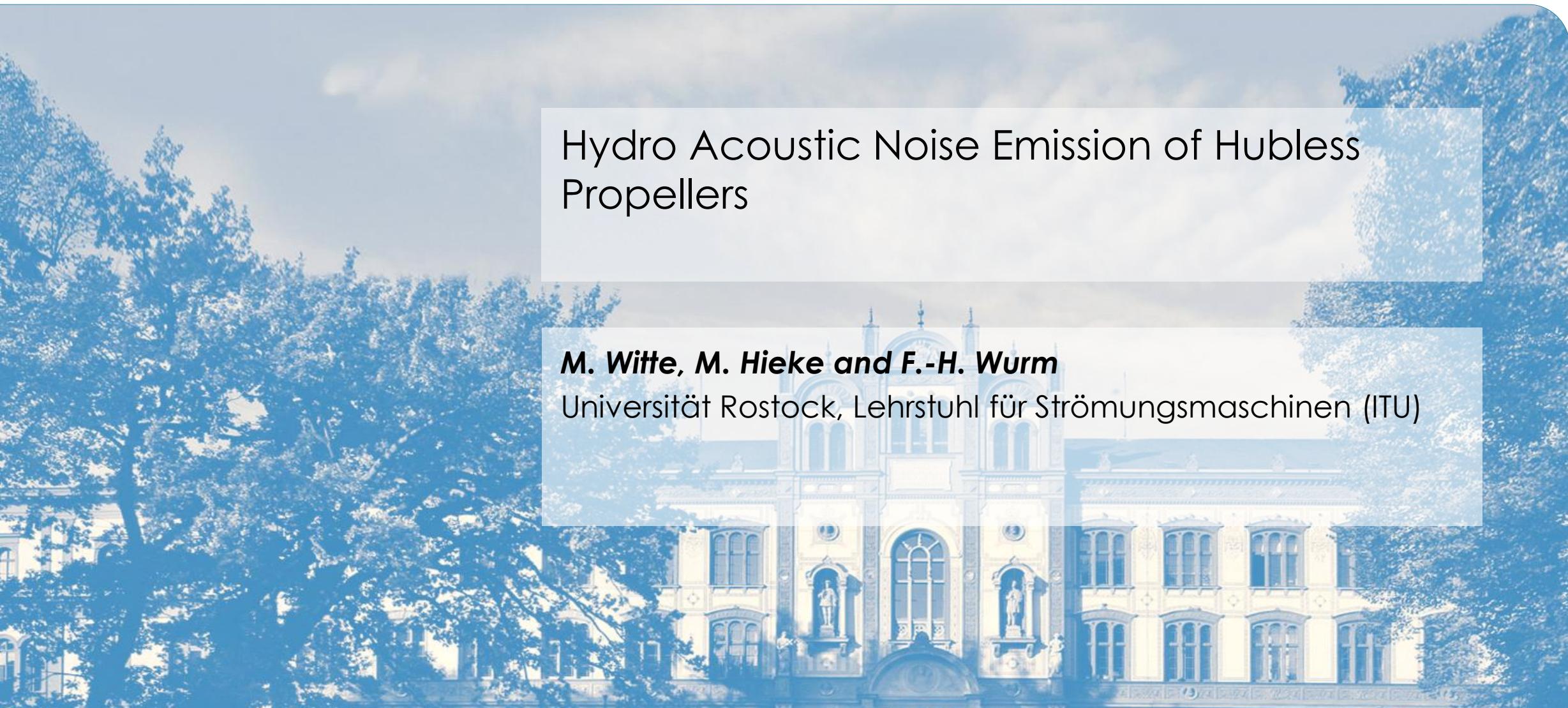




Hydro Acoustic Noise Emission of Hubless Propellers

M. Witte, M. Hieke and F.-H. Wurm

Universität Rostock, Lehrstuhl für Strömungsmaschinen (ITU)





Outline

1. Introduction
2. CFD Setup and Methods
3. Measurement Setup
4. Results
5. Conclusions



Outline

- 1. Introduction**
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- hubless propeller as alternative propulsion devices
- compact design → integration as bow and main thruster
- less mechanical components (gears etc.)
- different wake flow characteristic compared to hub propeller can be expected



Topic 1 → DFG project together with MUB (Hamburg University of Technology)

„model scale propeller“

- 1. investigation of the wake flow topology**
- 2. identification of coherent structures**
- 3. connection to the hydro acoustic emission → MUB**

Hubless propeller (RIM – drive)

Topic 2 → BMWI project together with Voith company

„full scale propeller“

- 1. development of an measurement for the localization of acoustic sources**
- 2. field measurement campaign in the river Warnow in Rostock**



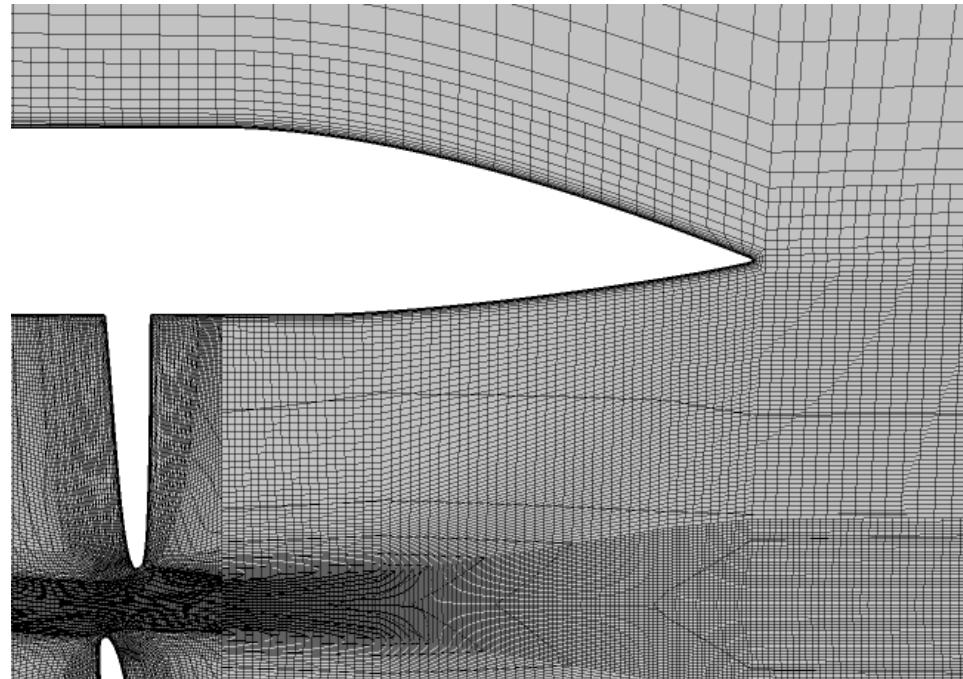
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CFD Setup and Methods

meshing for URANS and DES - SBES



CFD mesh



hubless propeller model

URANS: determination of the open water characteristics → only for integral quantities

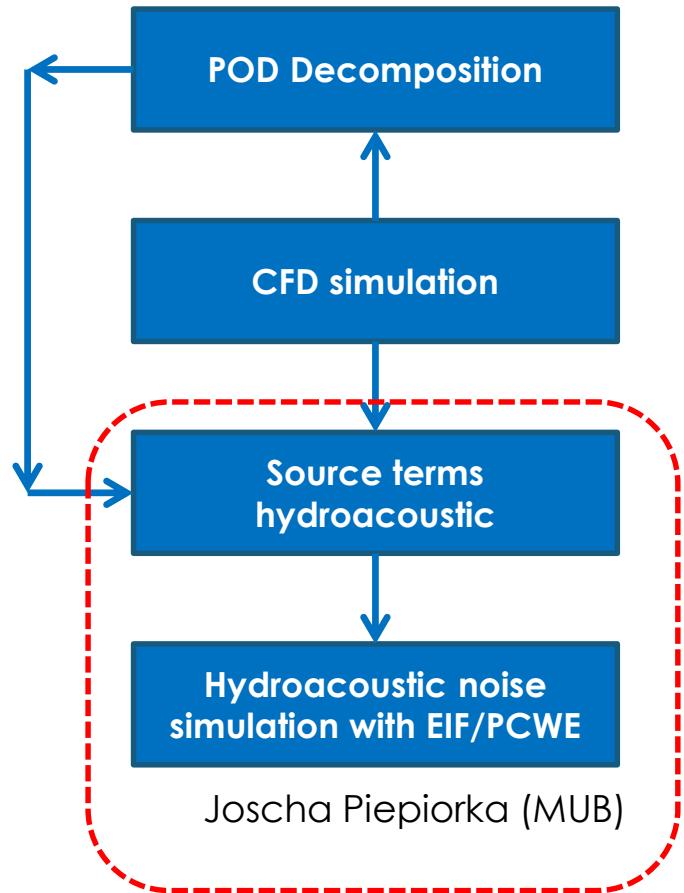
DES-SBES: determination of the wake flow topology (coherent structures) and hydro acoustic emission → less dissipative and scale resolving

	cells [M]	angle [°]	aspect ratio	volume change	y+	°/TS [s]	revolutions	n [s ⁻¹]	J
URANS	20	< 18	< 60 (95%)	< 10	< 30	1	10	variable	0, 0.43-0.7
DES-SBES	33 - 95	< 27	< 60 (95%)	< 8	2 - 0.5	0.5 - 0.25	5	16.9	0



CFD Setup and Methods

general workflow for noise prediction



Hybrid approach:

1st step: CFD for incompressible flow

2nd step: Computation of acoustics

Splitting of the variable

$$p = p^{\text{ic}} + p^{\text{a}}, \quad \mathbf{u} = \mathbf{u}^{\text{ic}} + \mathbf{u}^{\text{a}}, \quad \rho = \rho_0 + \rho^{\text{a}}$$

\square^{ic} = incompressible flow part,

\square^{a} = compressible, propagable acoustical part

Perturbed Convective Wave Equation (PCWE)

$$\frac{D^2\psi^{\text{a}}}{Dt^2} - c_0^2 \Delta \psi^{\text{a}} = -\frac{1}{\rho_0} \frac{Dp^{\text{ic}}}{Dt} \quad \text{with} \quad \frac{D}{Dt} = \frac{\partial}{\partial t} + (\bar{\mathbf{u}}^{\text{ic}} \cdot \nabla)$$

Acoustic potential ψ^{a} with $\mathbf{u}^{\text{a}} = -\nabla \psi^{\text{a}}$

$$\text{Sound pressure } p^{\text{a}} = \rho_0 \frac{D\psi^{\text{a}}}{Dt}$$



- fundamentals of POD were developed by Kari Karhunen and Michel Loève in the 40's
- transfer into the field of fluid mechanics by Berkooz, Holmes and Lumley (1993)

starting point: field quantity φ is known at K time instances t_i

$$\varphi = \bar{\varphi} + \varphi' = \bar{\varphi} + \tilde{\varphi} + \varphi''$$

Galerkin approximation:

$$\varphi(x, t_i) \approx \bar{\varphi} + \sum_{k=1}^K M_k(x) \cdot a_k(t_i) \quad i, k = 1, 2, \dots, K$$

Eigenvalue problem:

$$(C_{kl} - \lambda \cdot \delta_{kl}) \cdot b_k = 0$$

Correlation matrix:

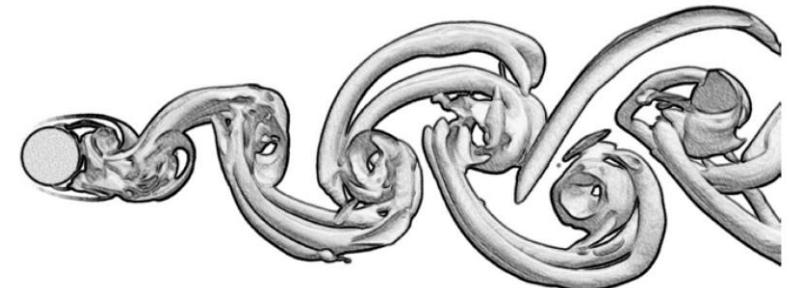
$$C_{kl} = \frac{1}{K} \int_V (\phi'(x, t_k) \cdot \phi'(x, t_l)) dV$$

POD time coefficient:

$$a_k(t_i) = b_k(t_i) \cdot \sqrt{K \cdot \lambda_k}$$

POD modes:

$$M_k = \frac{1}{\sqrt{K \cdot \lambda_k}} \cdot \sum_{i=1}^K b_k(t_i) \cdot \varphi'(x, t_i) \quad i = 1, 2, \dots, K$$

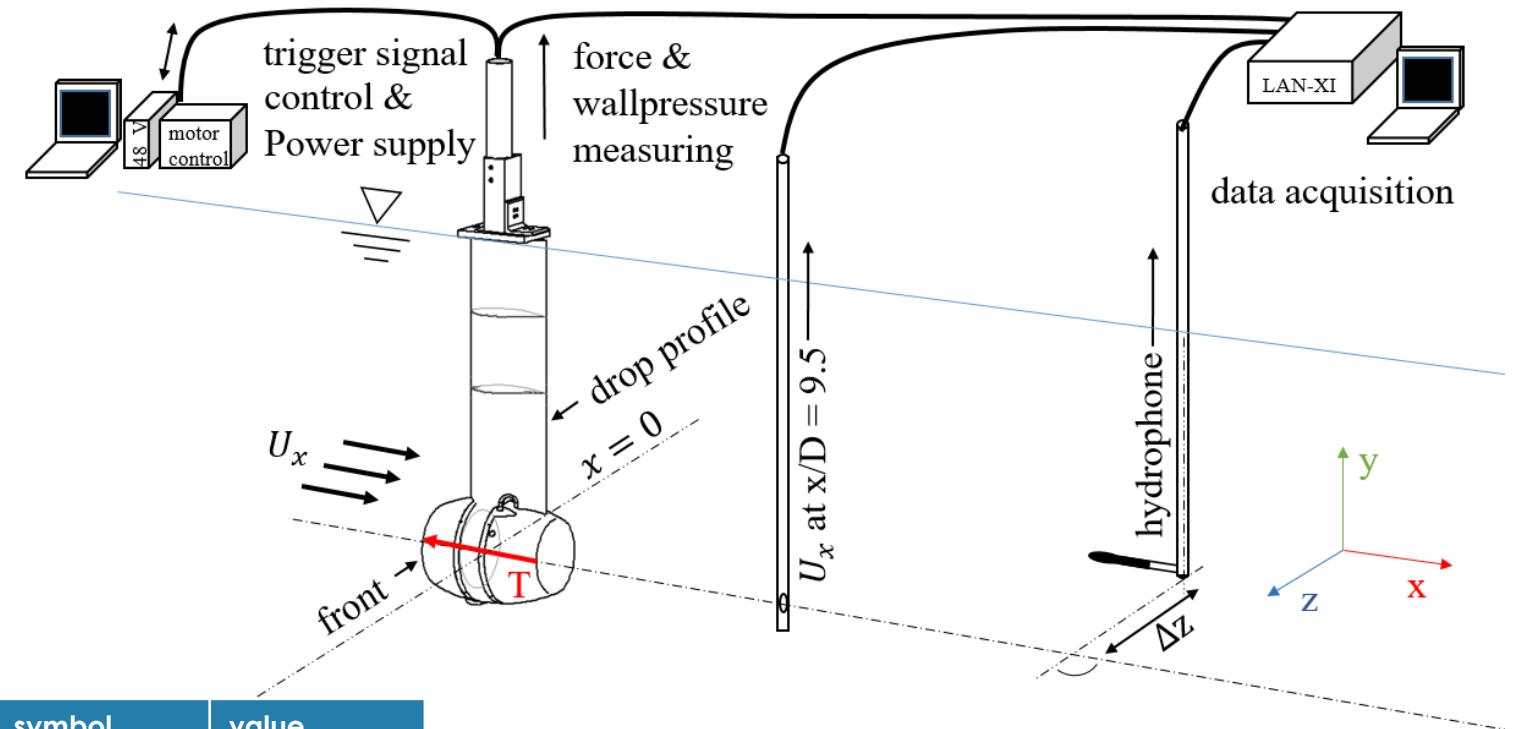
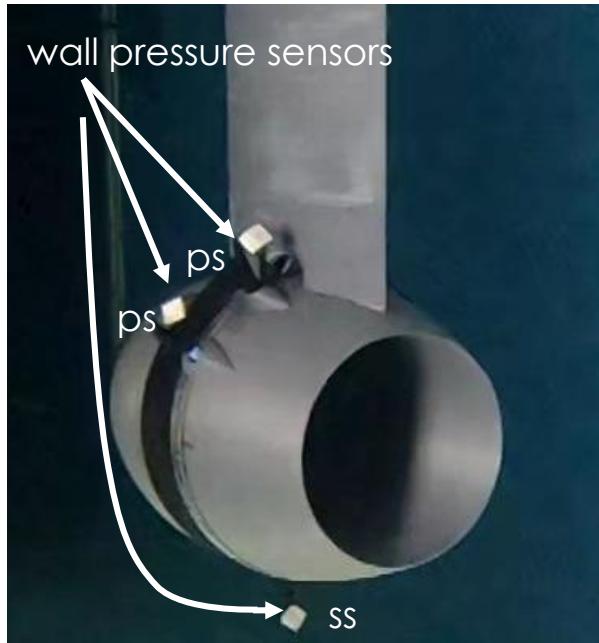




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MVDR Beamformer: frequency = 9865 Hz; $f_{\text{Rotation}} = 13.1$ Hz



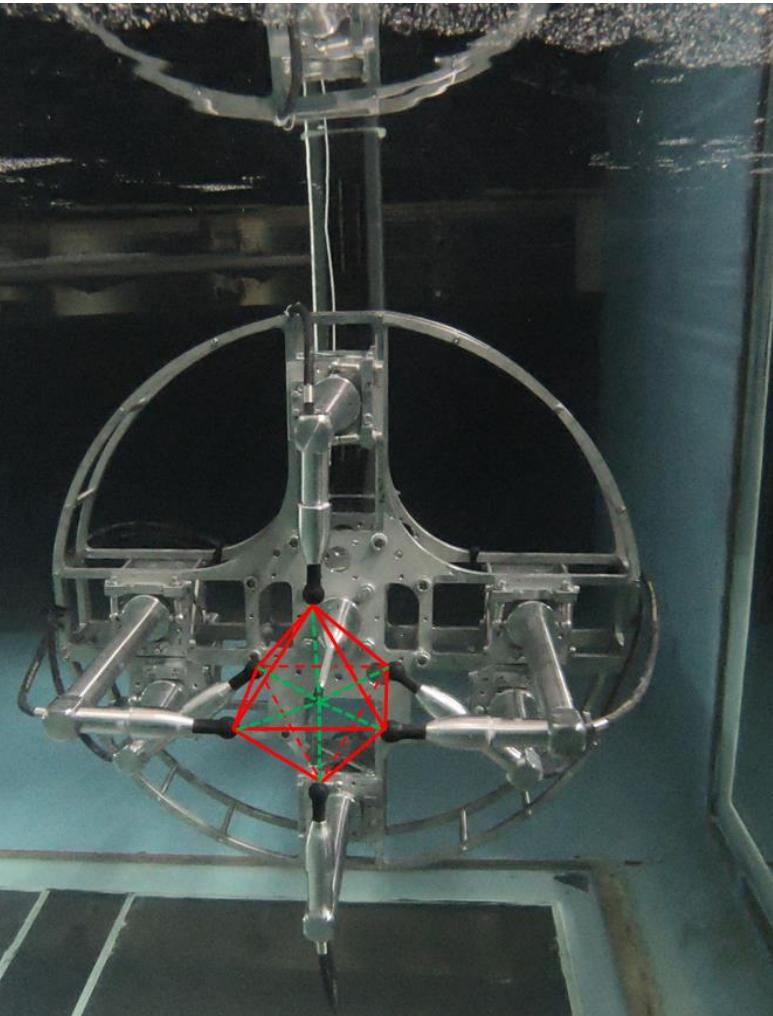
	symbol	value
blades	z	4
diameter in mm	D	100
max. rotation speed in min^{-1}	n	1600
pitch/diameter ($r/R = 0.7$)	P/D	1.94
skew/rake	-	no/no
max. power supply in kW	P_{el}	1.2

- Experiments were done in the towing tank facility at Voith in Heidenheim



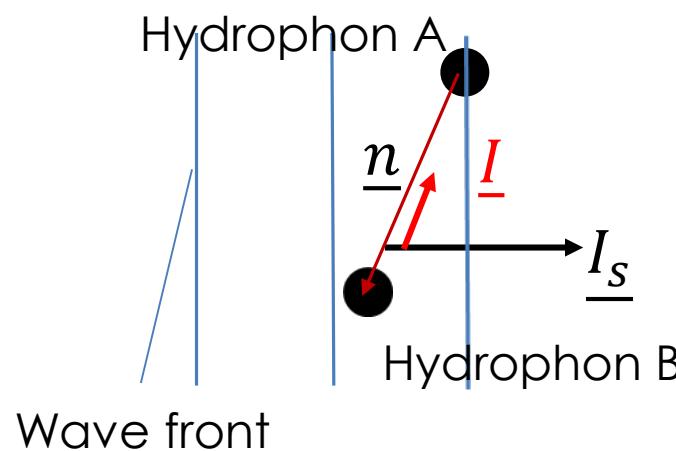
Measurement Setup – preliminary tests for field measurement campaign of Topic 2 → acoustic source localization

sound intensity based beamforming (AVS):



3D intensity probe

- I_s is the projected intensity along the axis between Hydrophone A and B
- least square approach for reconstruction of the 3D intensity vector



derivation from Euler equation

$$\frac{p_A(t) + p_B(t)}{2\rho_0 \Delta r} \int p_B(t) - p_A(t) dt = |I_s|$$

$$|I_s| = \frac{1}{2\pi\rho_0 \Delta r} \sum_{n=1}^{N/2} \frac{\text{Im}(G_{AB})}{n \Delta f}$$

$$\left\| \underline{n} \cdot \underline{I}_s - \underline{I}_{\text{probe}} \right\|_2 \rightarrow \min$$

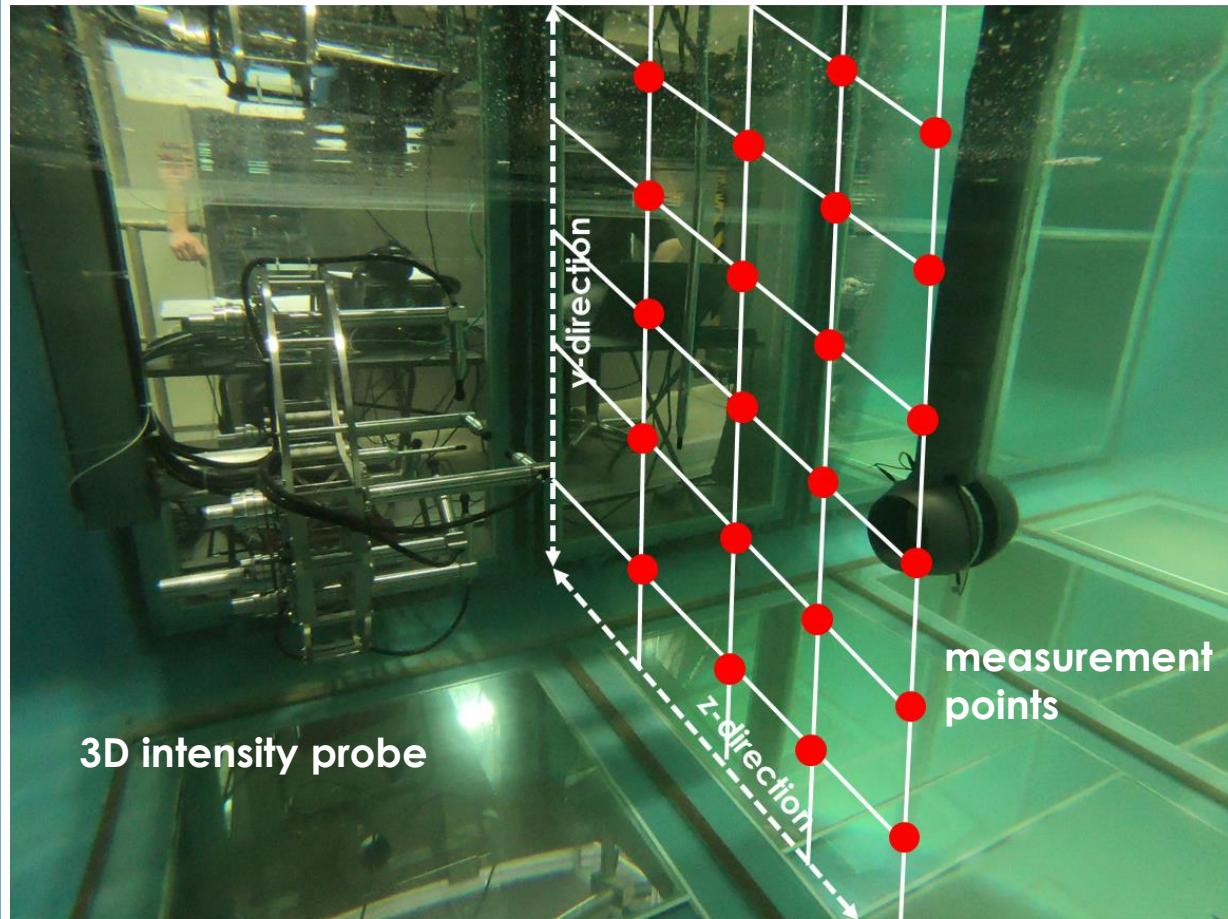
$$\underline{I}_s = (\underline{n}^T \cdot \underline{n})^{-1} \cdot \underline{n}^T \cdot \underline{I}_{\text{probe}}$$

Advantage AVS:
separation of coherent
sources is possible up to
approximately $D = \lambda$



Measurement Setup – preliminary tests for field measurement campaign of Topic 2 → acoustic source localization

sound intensity based beamforming (AVS):



phase reconstruction of individual measurements:

- problem: uncorrelated single measurements → no beamforming possible
- reconstruction of the phase by usage of reference sensors fixed in space → dynamic pressure sensors, hydrophon, acceleration sensor

cross power spectrum

$$R_{Ref,Hydro} = S_{Ref}(\omega)^* \cdot S_{Hydro}(\omega)$$

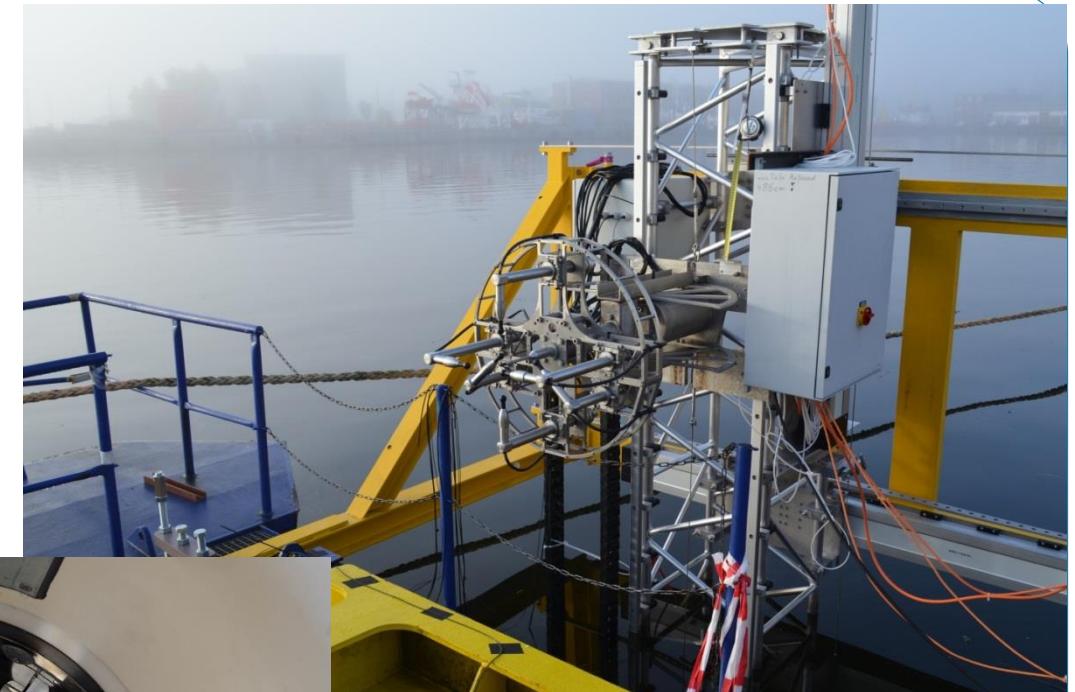
phase angle

$$\alpha(\omega) = \text{atan}\left(\frac{\text{Imag}(R_{Ref,Hydro})}{\text{Real}(R_{Ref,Hydro})}\right)$$

- Different uncorrelated single measurements can be treated as one single dataset which has been measured with all sensors synchronously at the same time when the relative phase angle has been recovered using the reference sensors → only valid for stationary processes
- application of various beamforming approaches after phase reconstruction possible

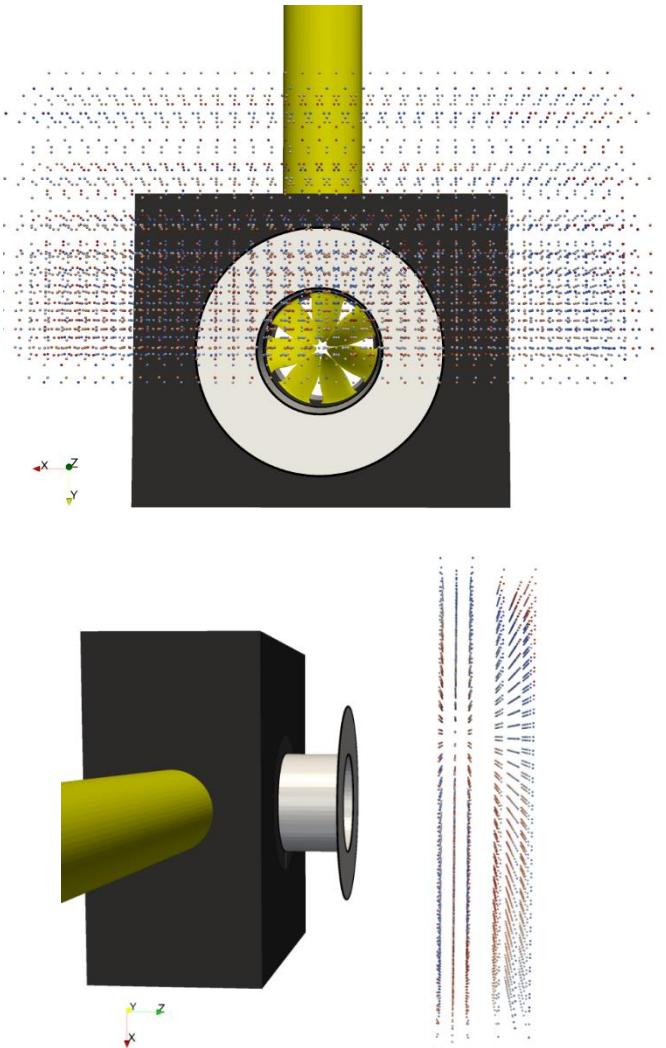
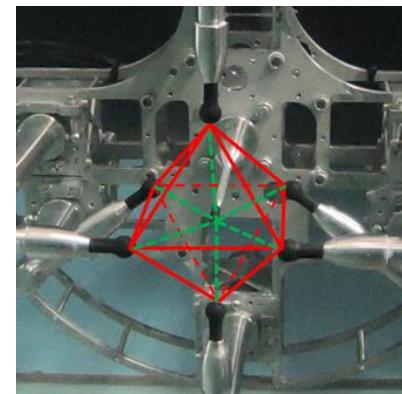


Measurement Setup – preliminary tests for field measurement campaign of Topic 2 → acoustic source localization





Measurement Setup – preliminary tests for field measurement campaign of Topic 2 → acoustic source localization



- **637 3D intensity probe positions → 4459 hydrophone positions (BKS 8103,8105)**
- **intensity or pressure based beamforming evaluation possible depending on the frequency**
- **acquisition time 30s, 65 kHz sample rate → 13 channels**
- **propeller speed 787 min⁻¹**



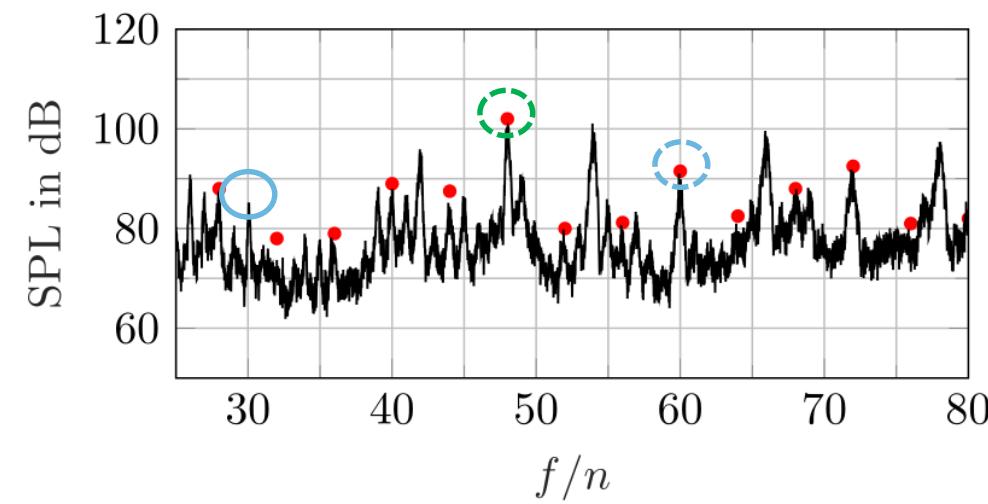
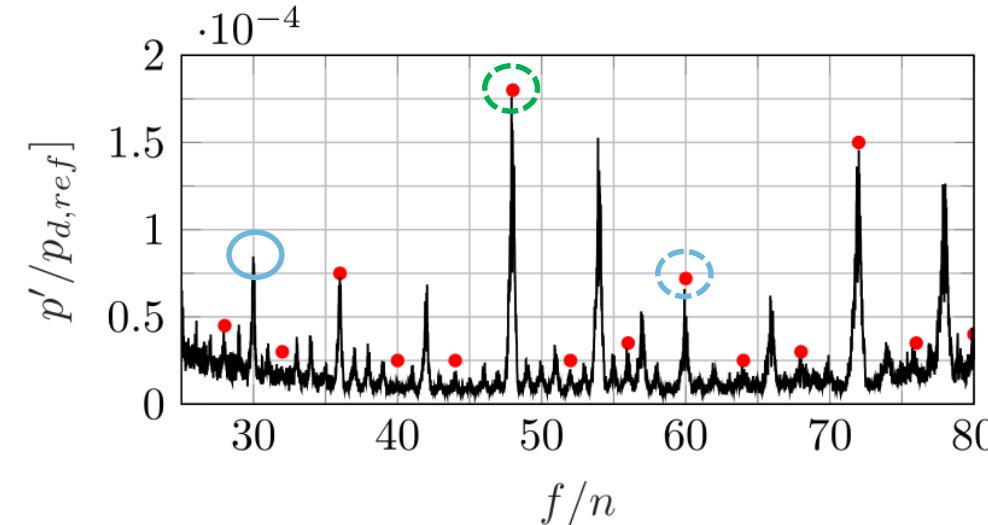
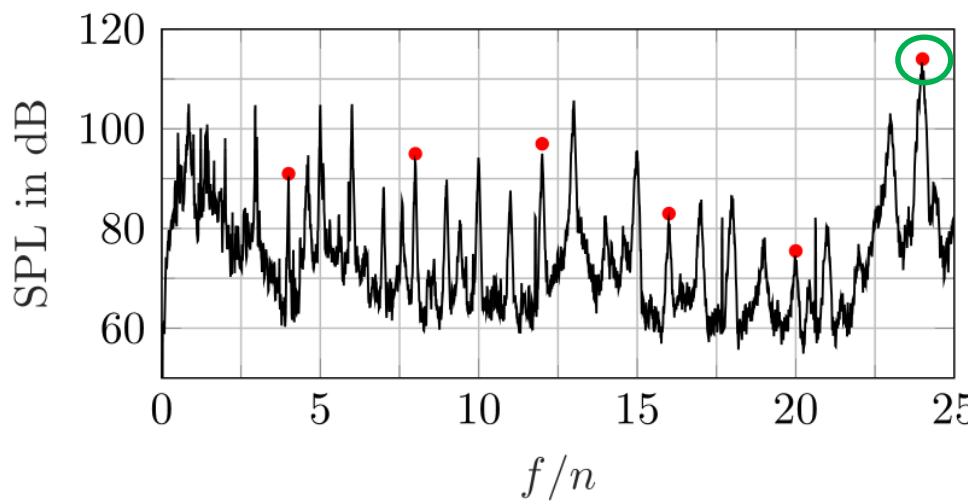
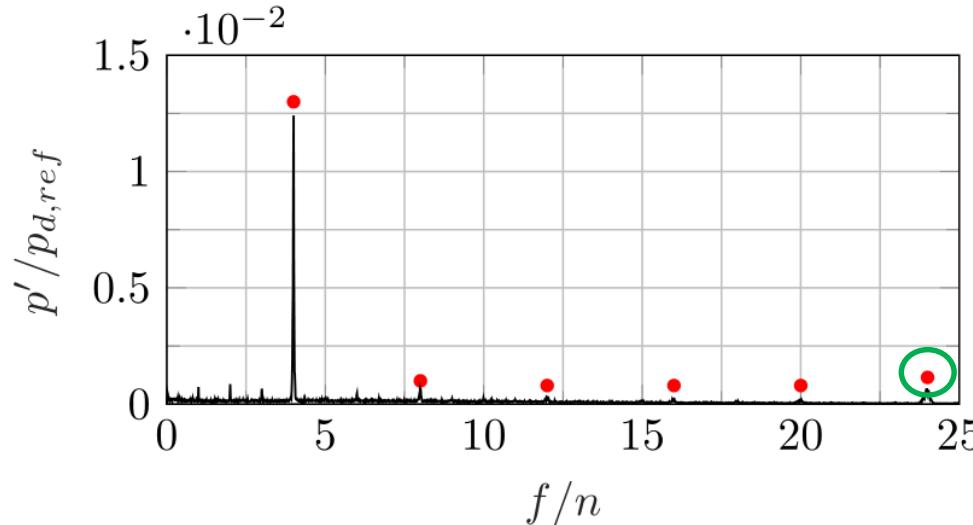
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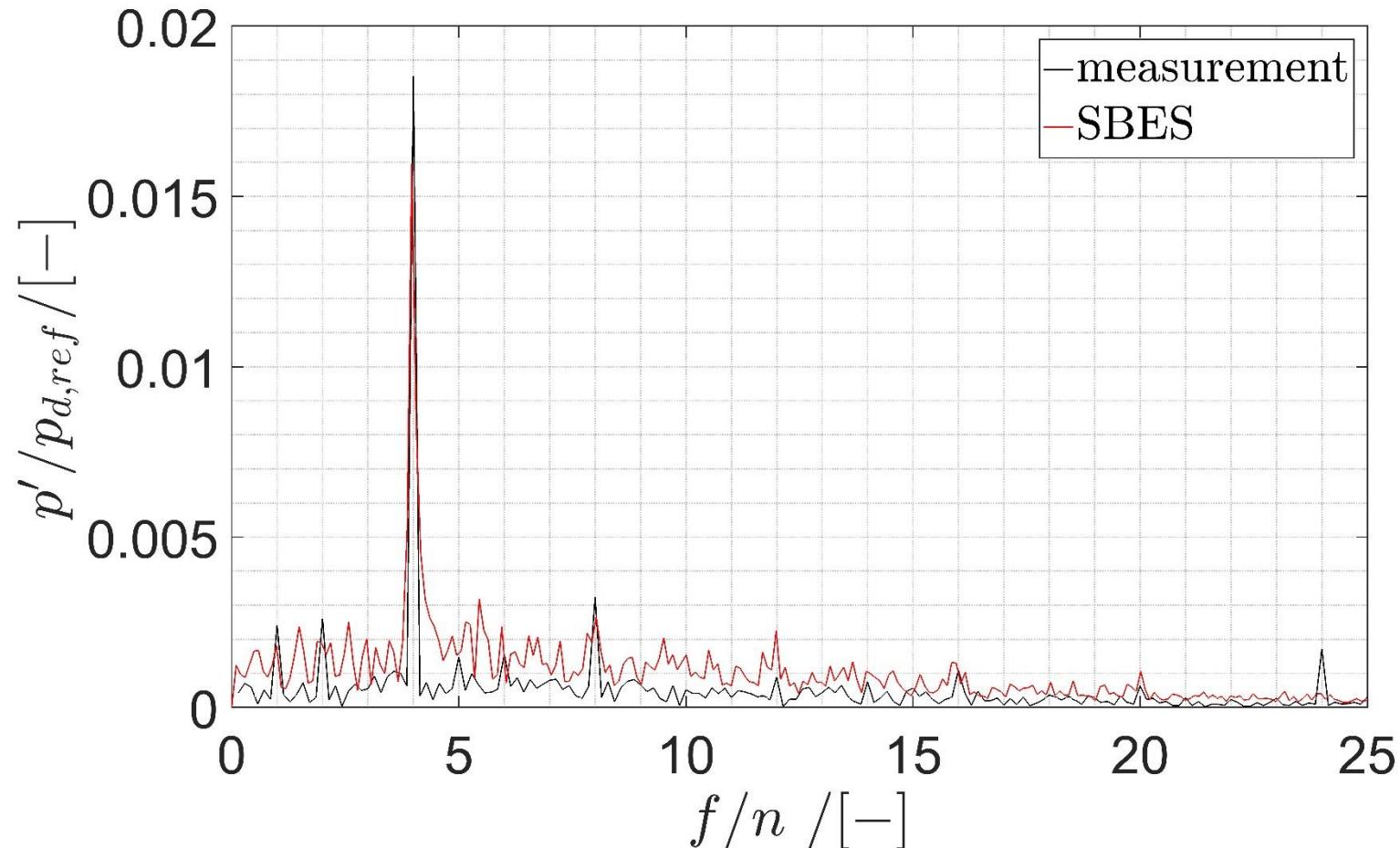
Results Topic 1

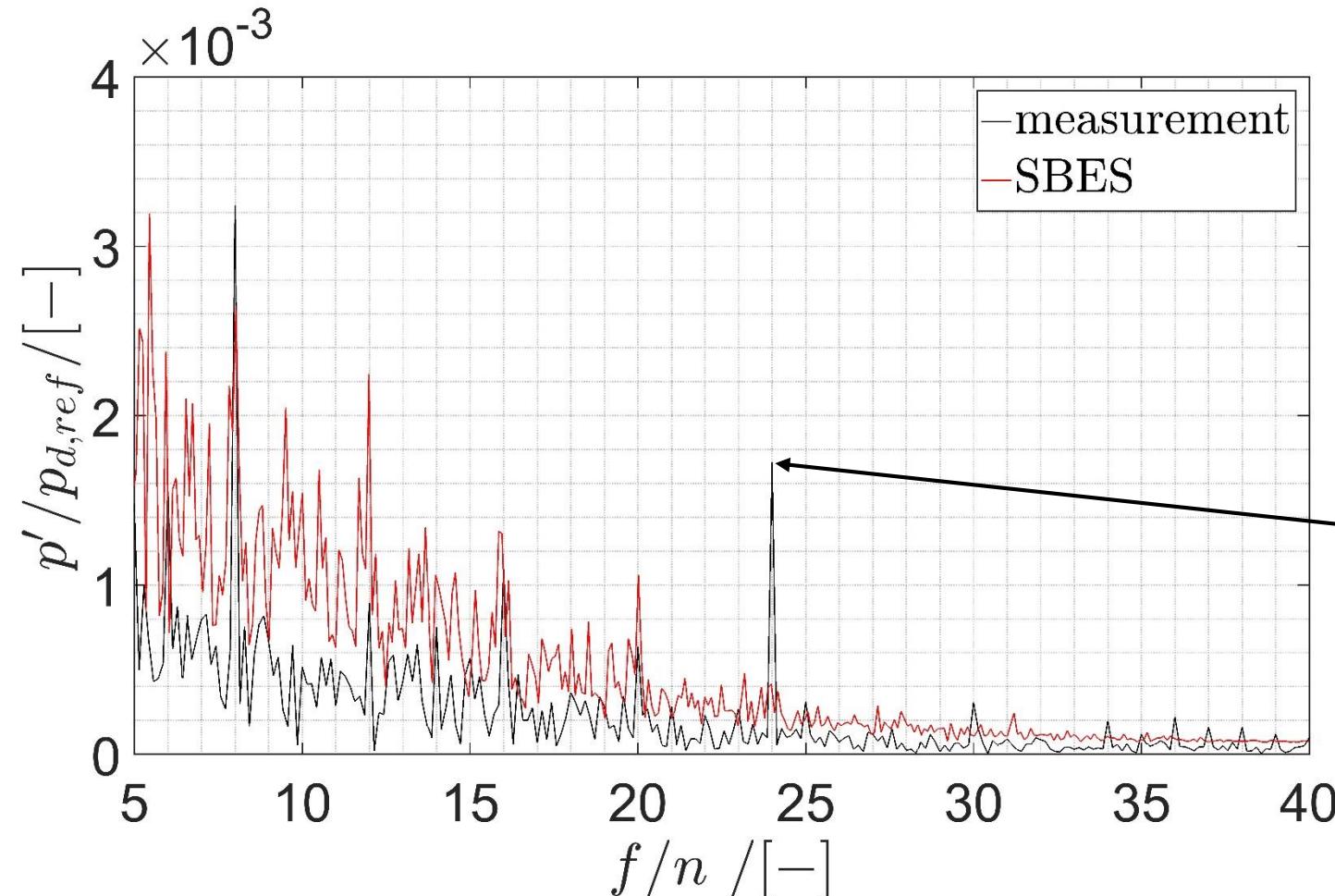
narrow band order spectrum
 top row: wall pressure fluctuations
 bottom: hydro sound pressure level



reference pressure
 $p_{d,ref} = (\omega R)^2 \cdot \rho / 2$

reference acoustic pressure
 $\tilde{p}_{ref} = 10^{-6} Pa$

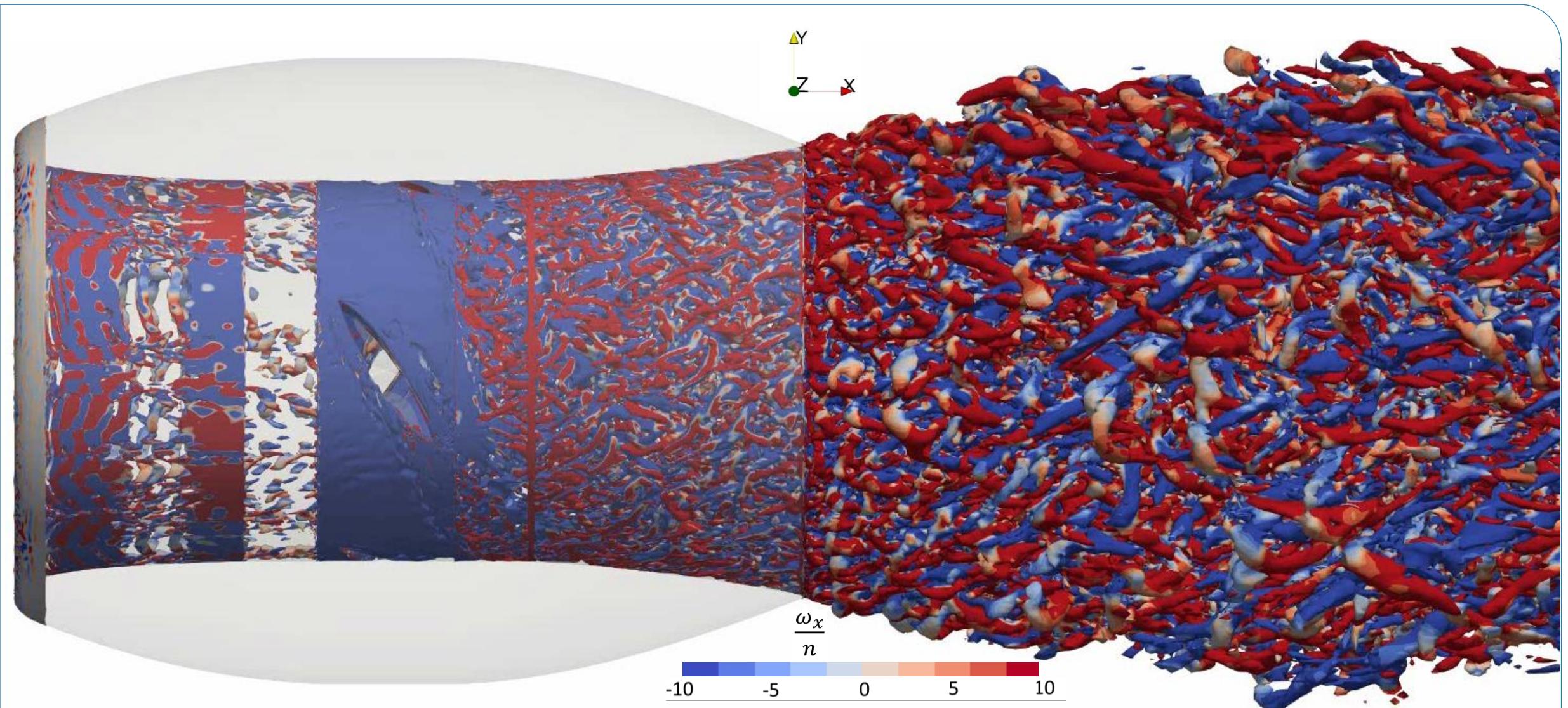






Results Topic 1

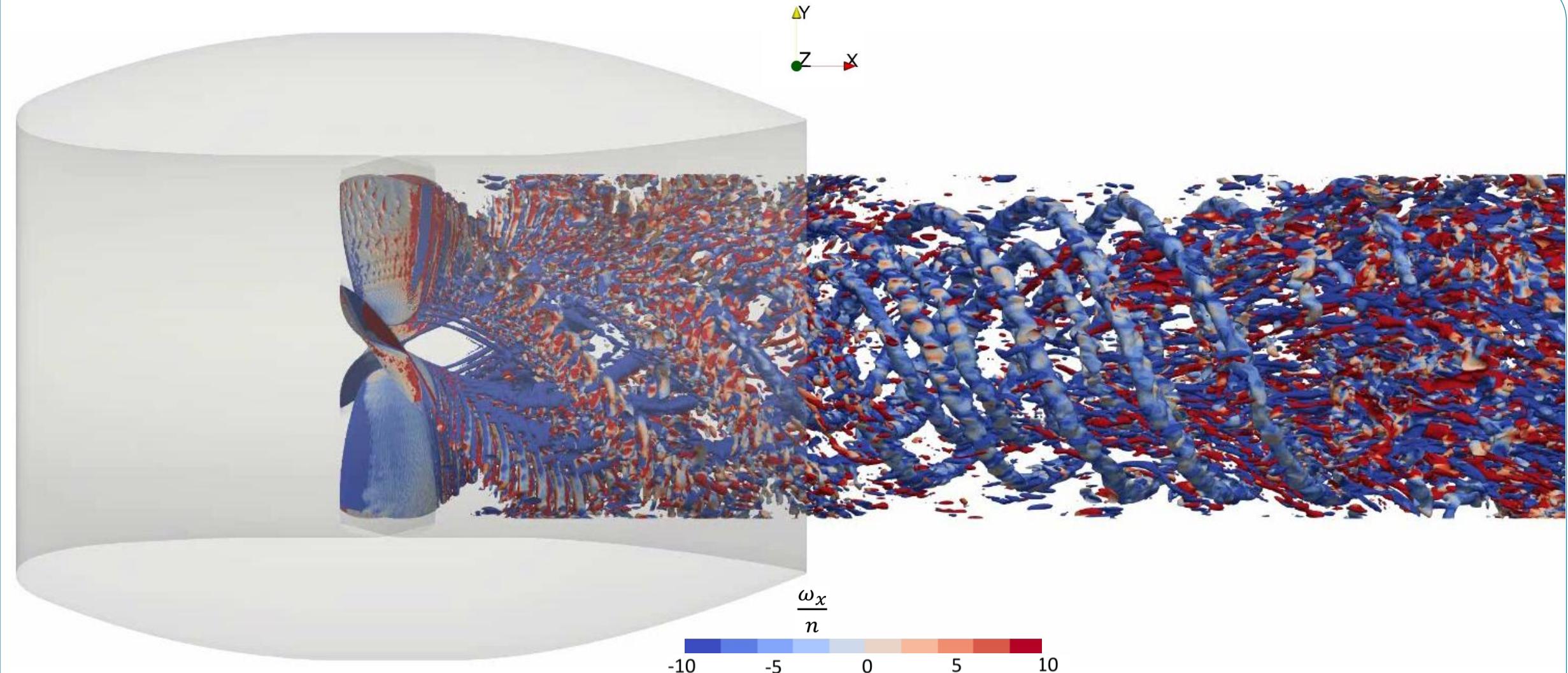
wake flow structures
iso-surfaces: $Q/n^2 = 35$ color: vorticity X





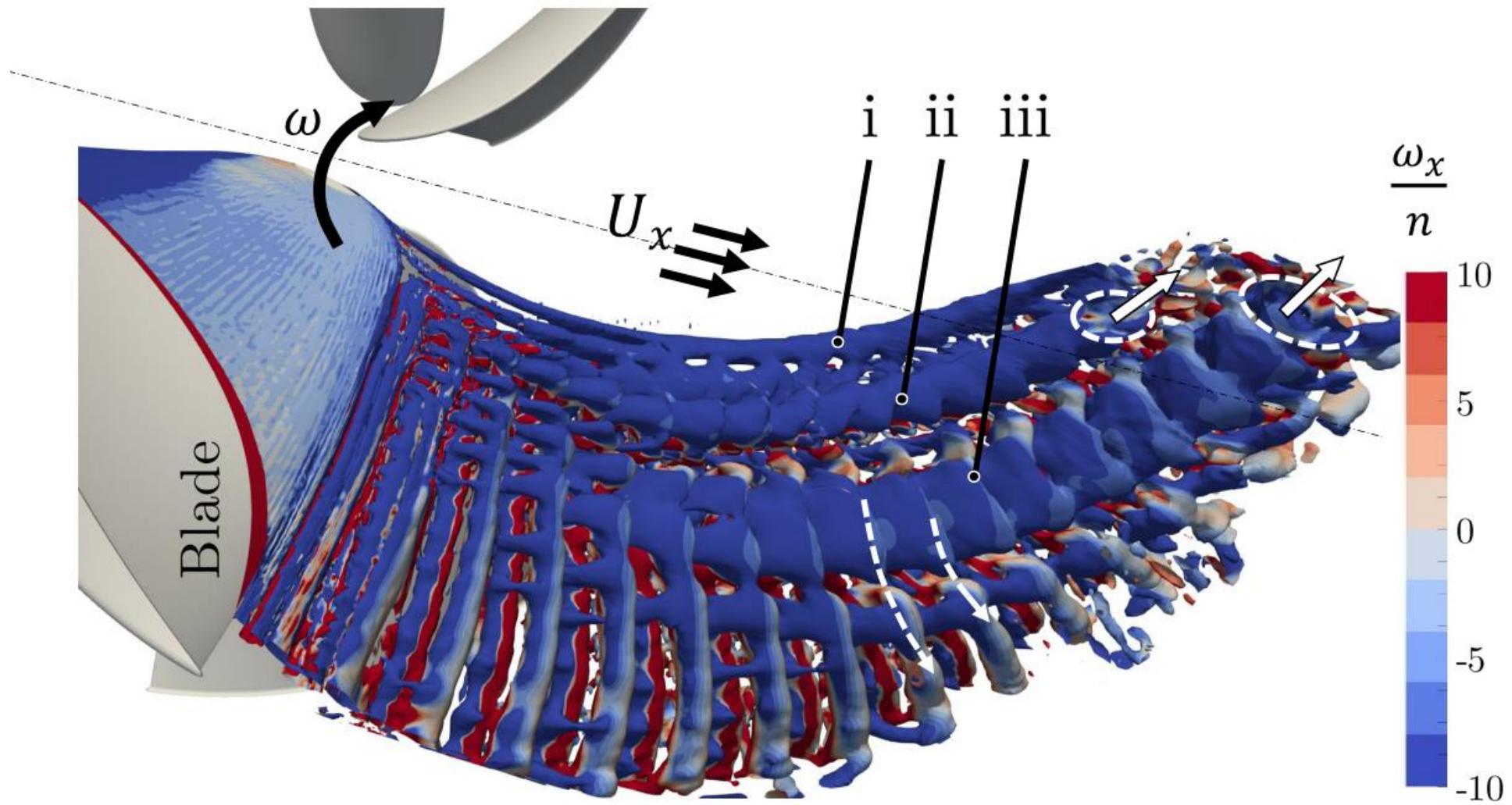
Results Topic 1

wake flow structures – clip r/R = 0.9
iso-surfaces: $Q/n^2 = 35$ color: vorticity X





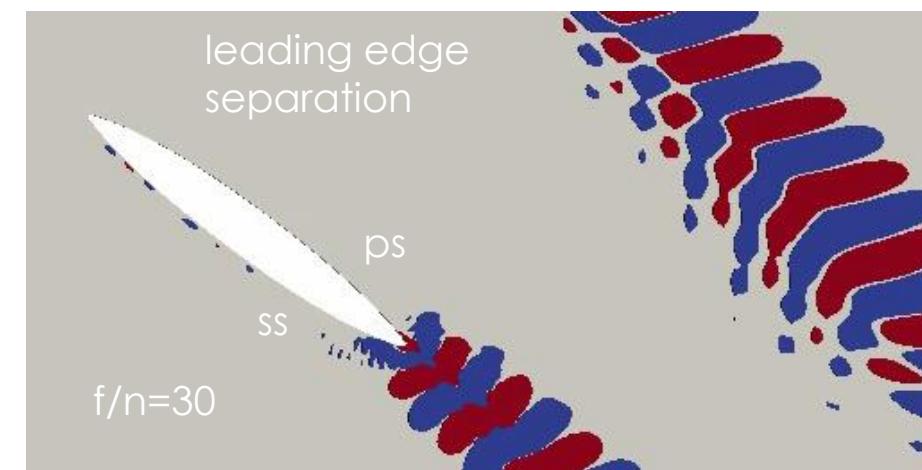
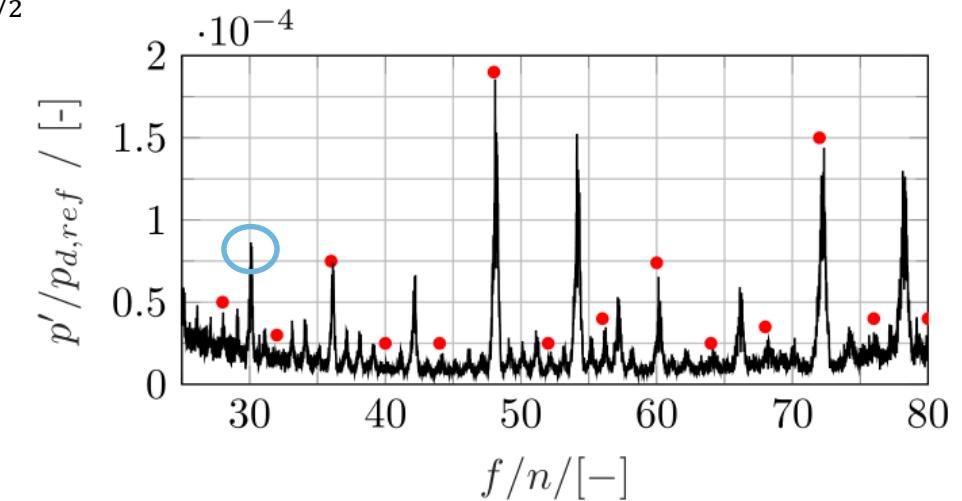
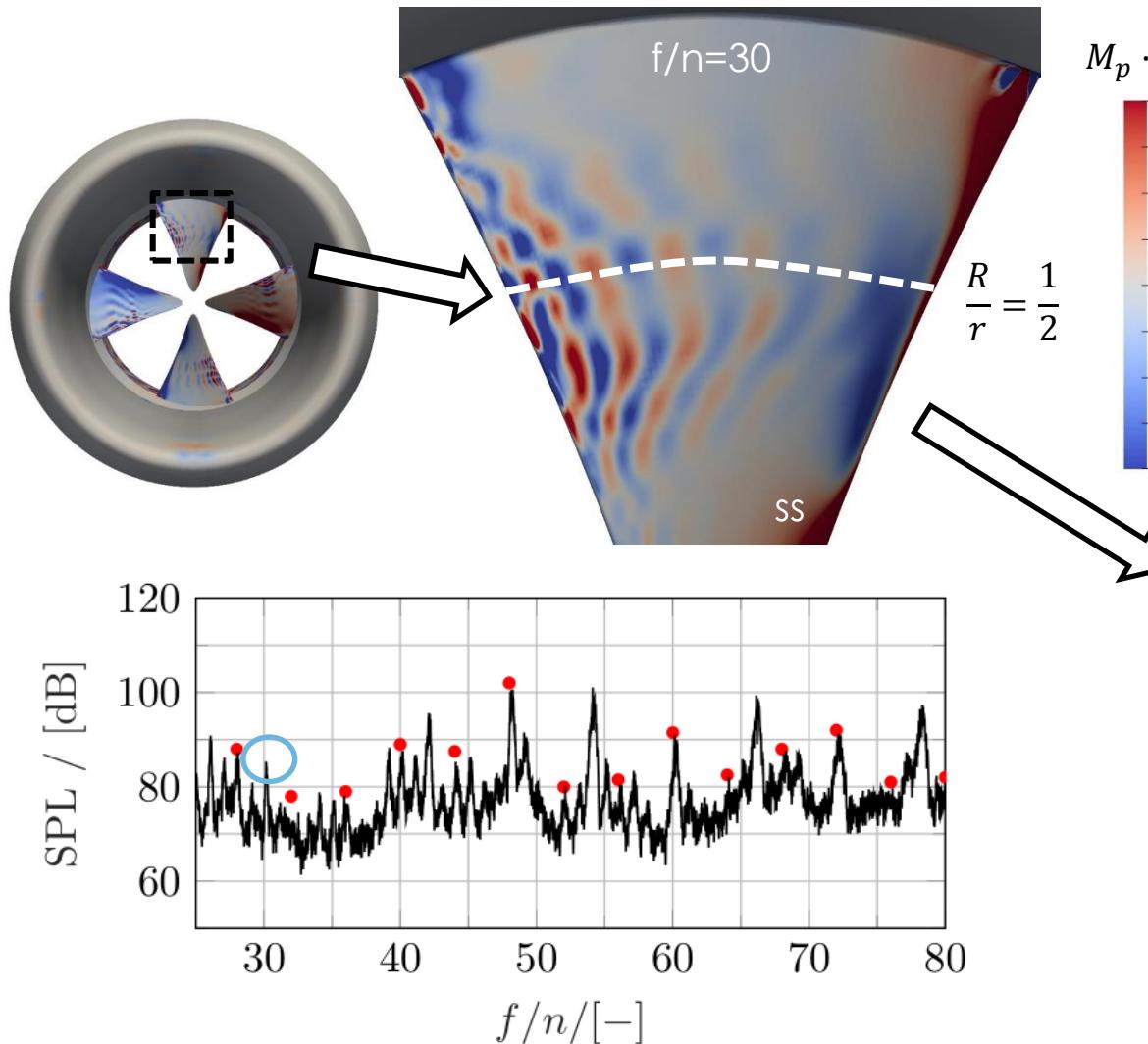
Results SBES 93Mio wake flow structures iso-surfaces: $Q/n^2 = 35$ color: vorticity X





Results Topic 1

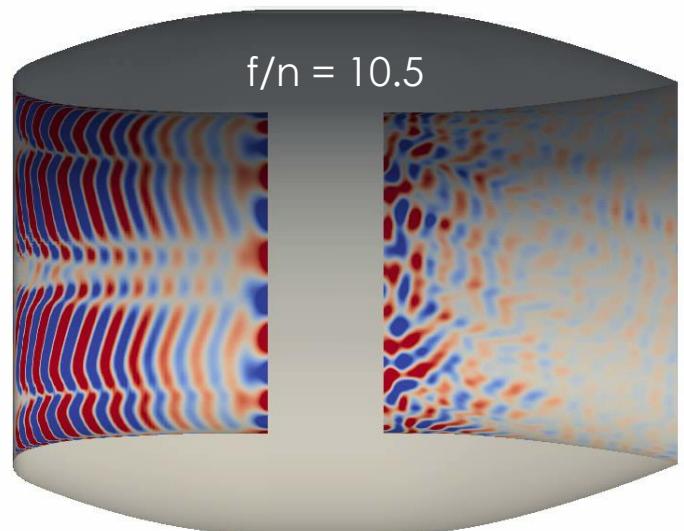
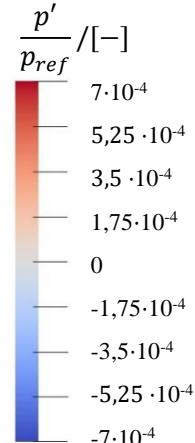
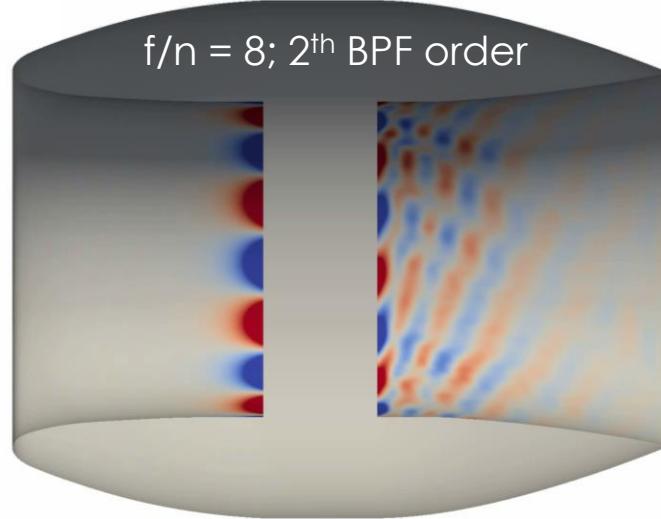
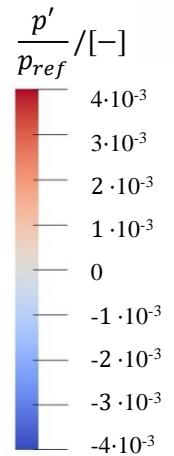
POD wall pressure mode (top)
recombined POD wall pressure modes (bottom)





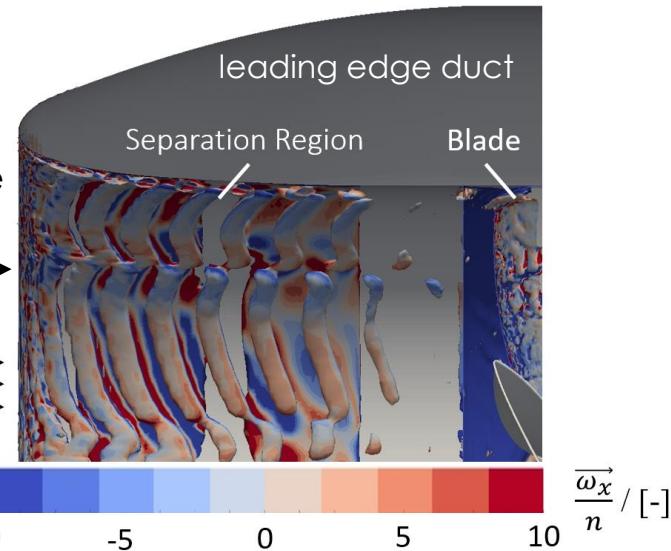
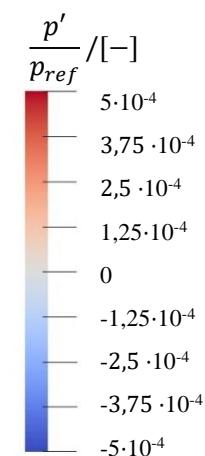
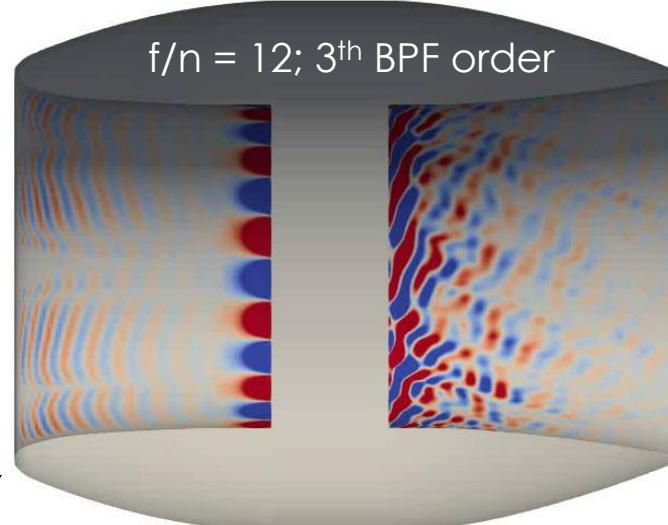
Results Topic 1

recombined POD wall pressure modes



feedback loop

leading edge separation





Results Topic 1

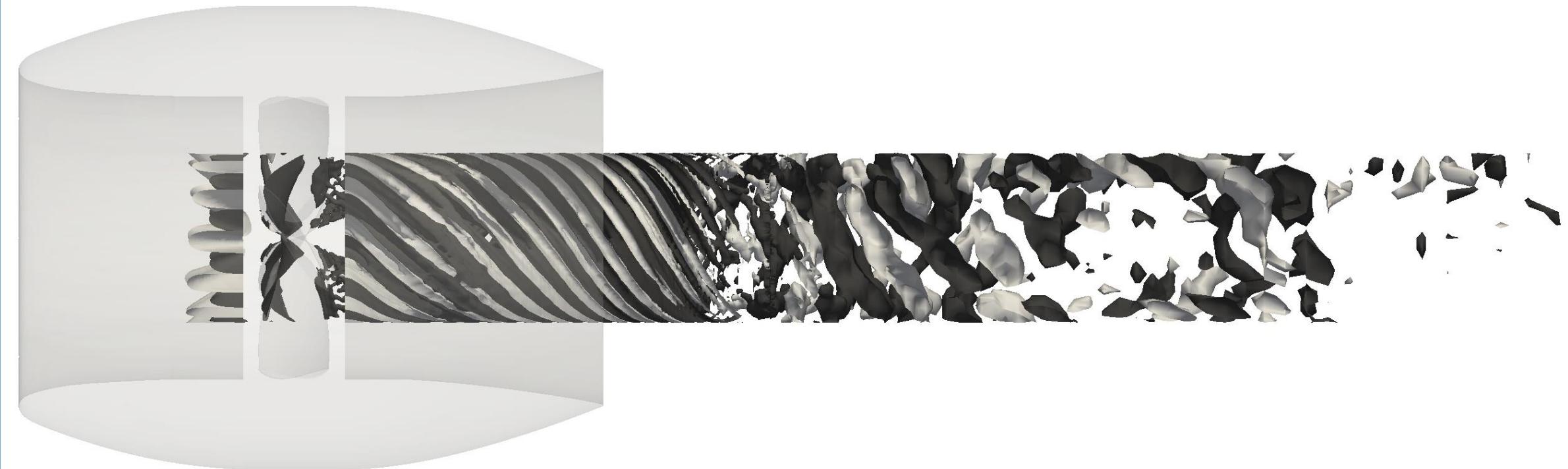
POD-pressuremode 2 - clip r/R = 0.9
 $f/n = 4$





Results Topic 1

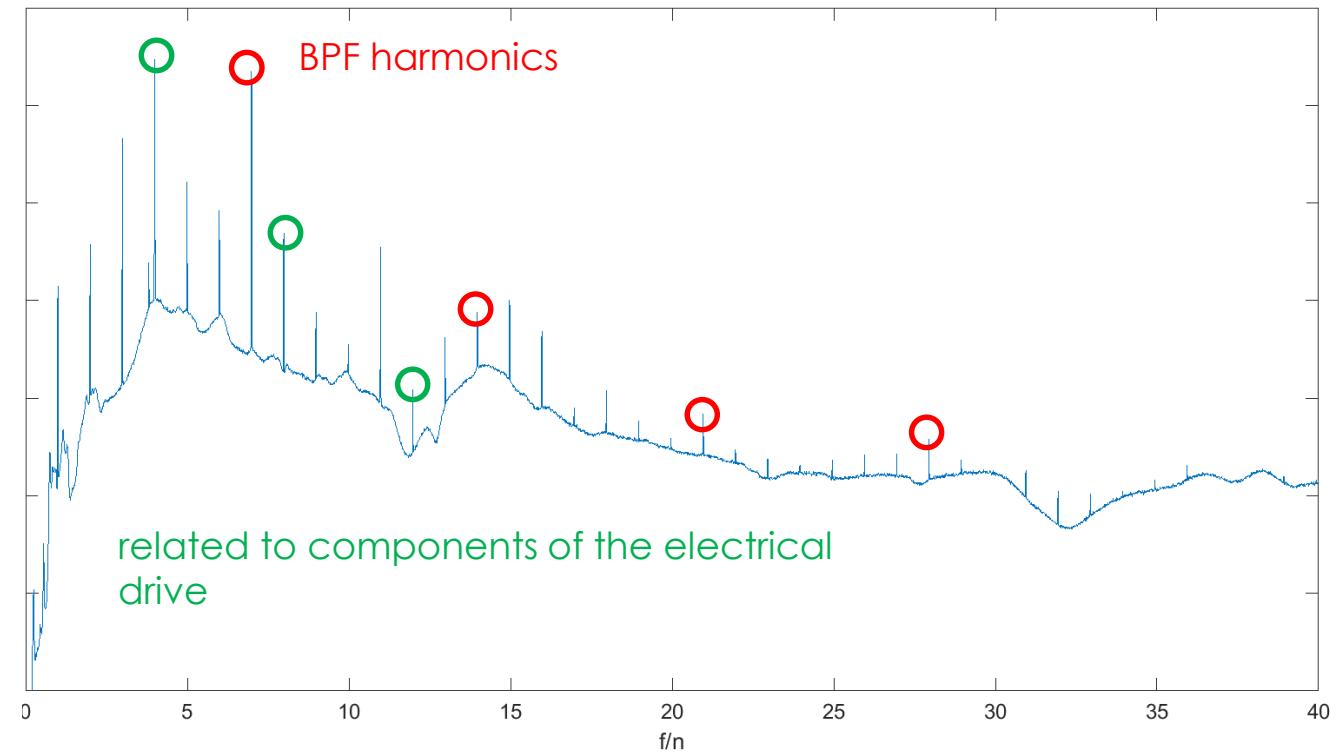
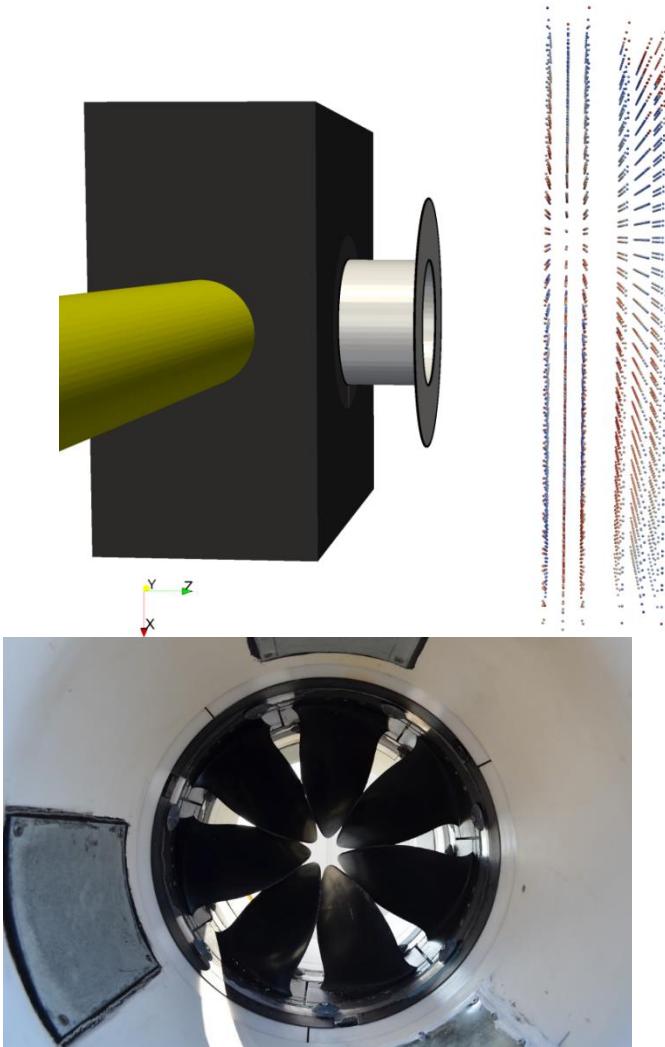
POD-pressuremode 44 - clip r/R = 0.9
f/n = 12



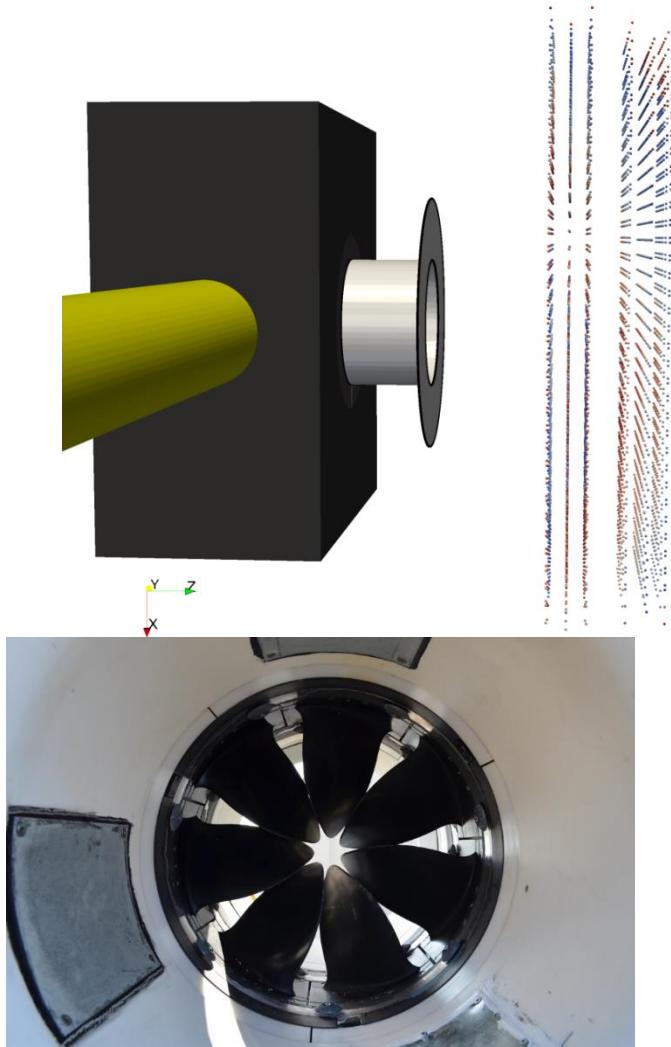


Results Topic 2

narrow band order spectrum
hydro sound pressure level in dB re(1·10⁻⁶ Pa)
 $n = 787 \text{ min}^{-1}$

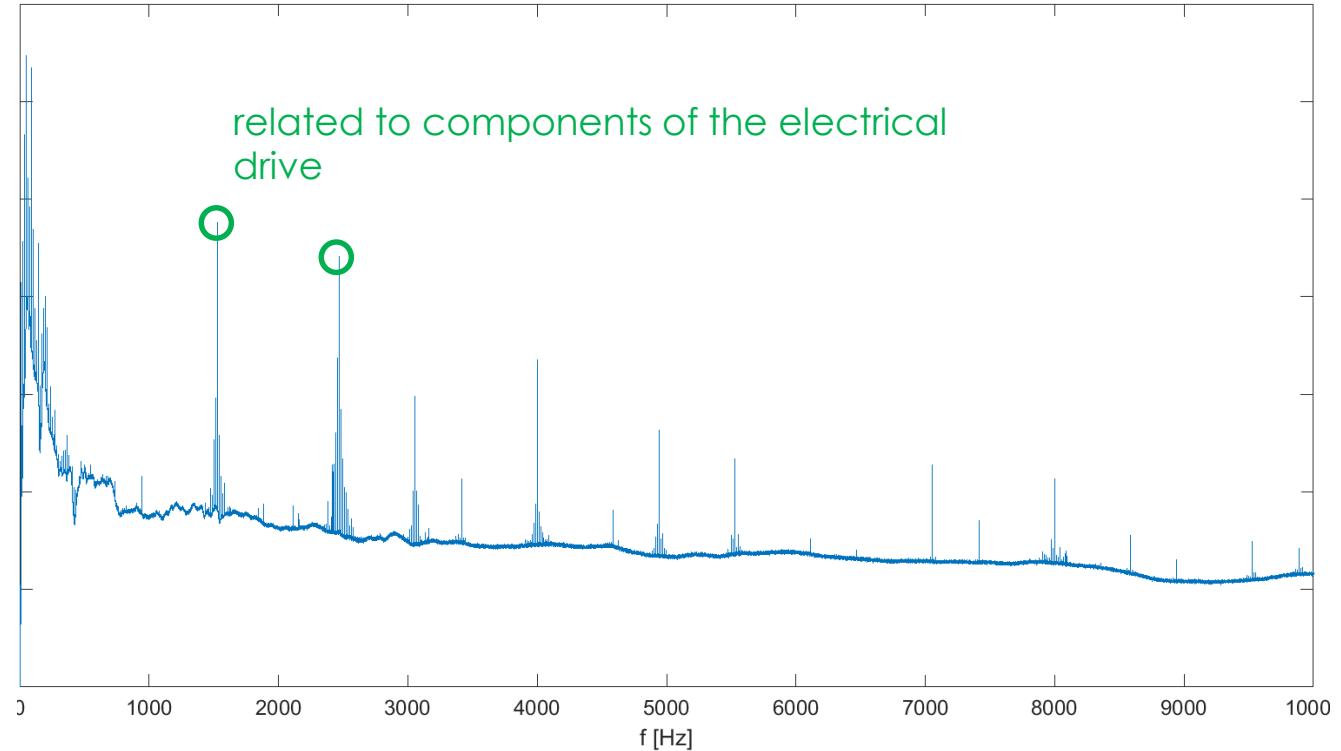


averaged narrow band order spectra
from all single measurement



Results Topic 2

narrow band order spectrum
hydro sound pressure level in dB re(1·10⁻⁶ Pa)
 $n = 787 \text{ min}^{-1}$



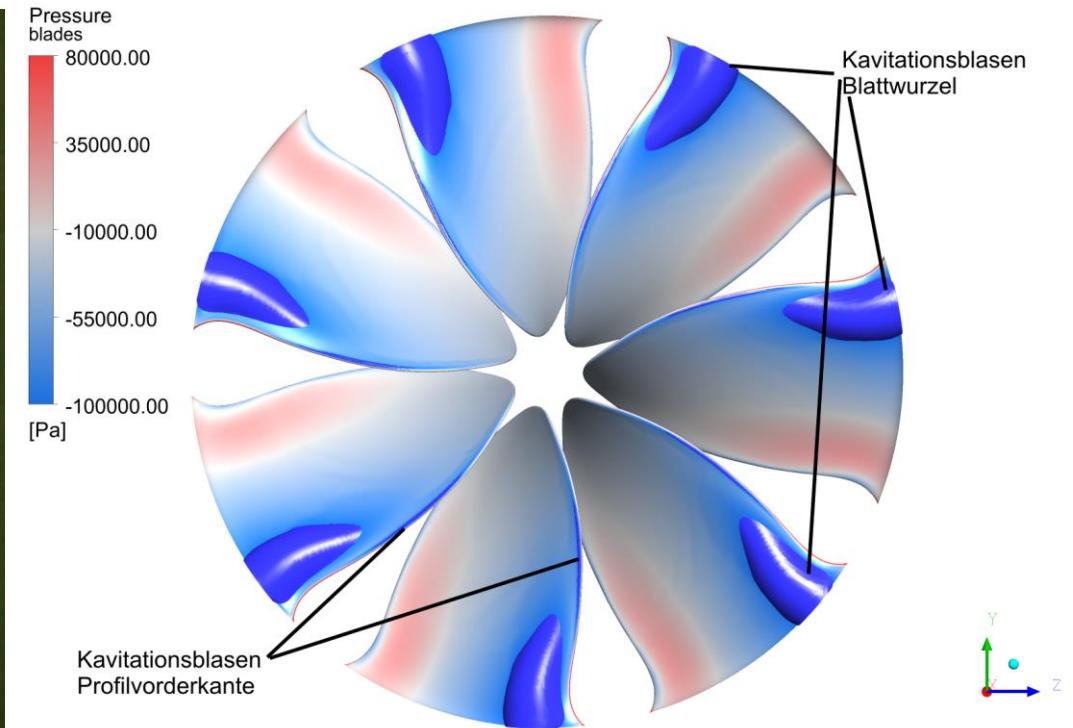
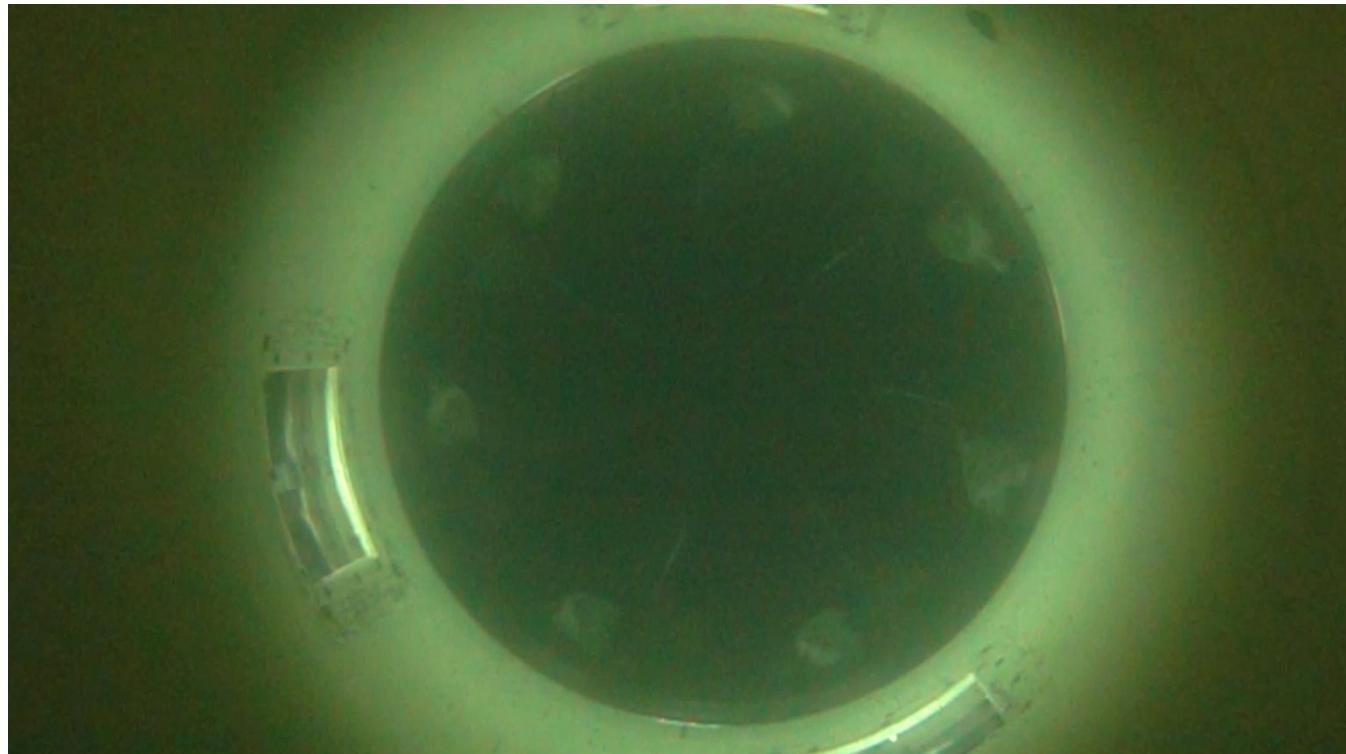
averaged narrow band order spectra
from all single measurement



Results Topic 2

CFD result
iso-surfaces where the local pressure drops
below the vapor pressure

Inline thruster during operation



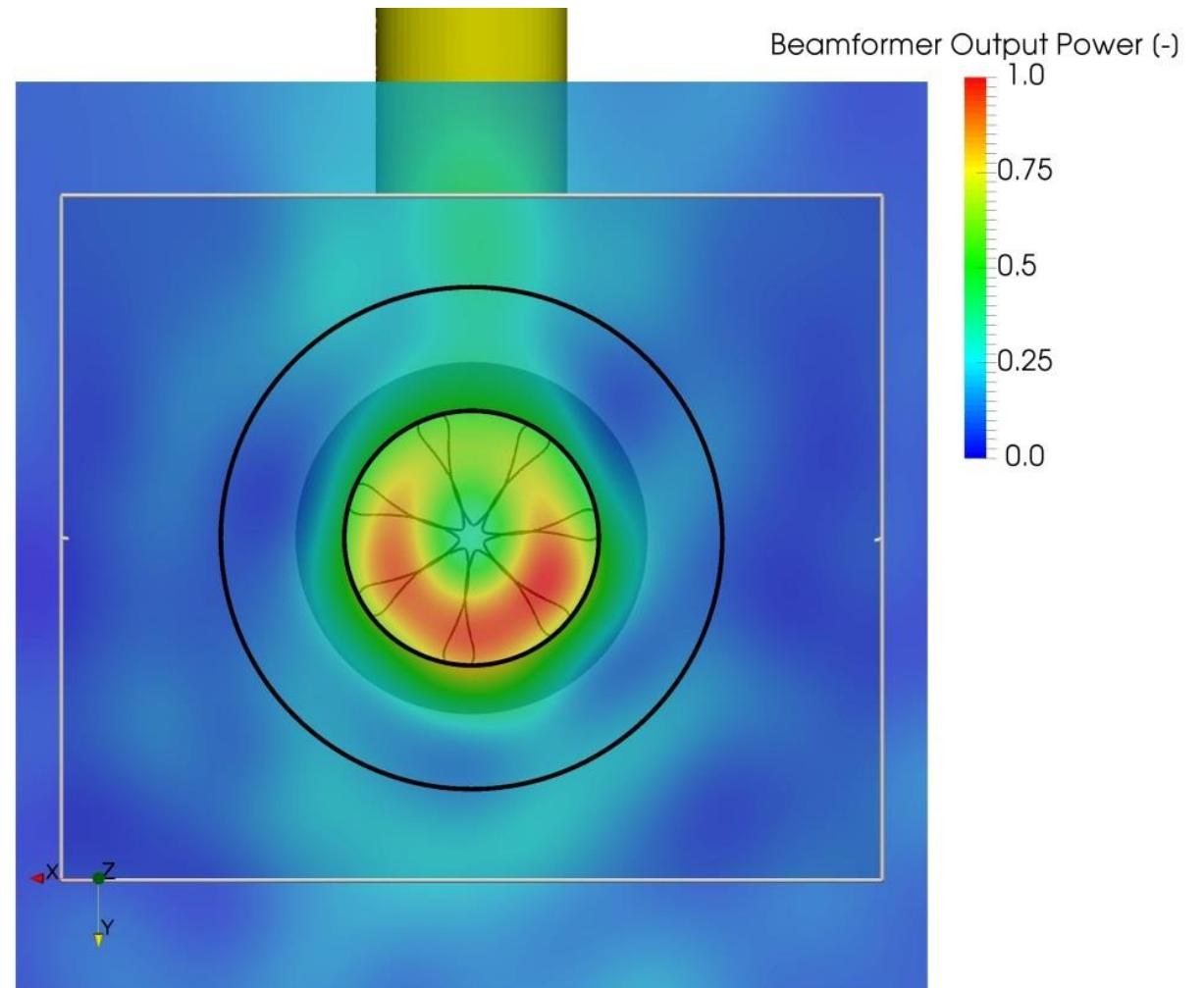
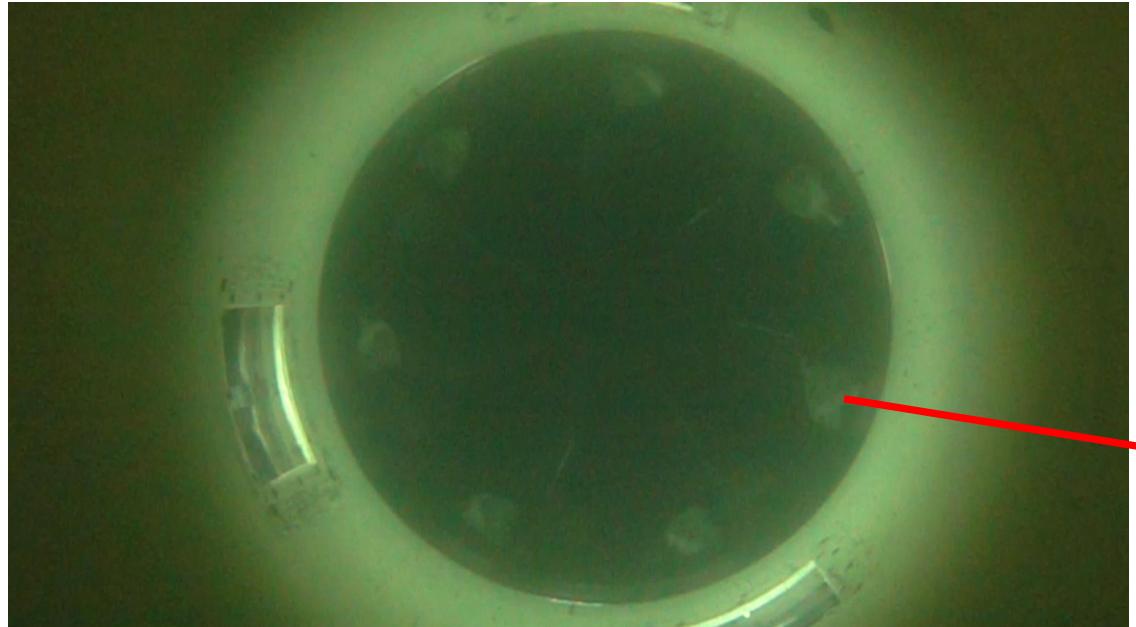
- cavitation in the profile root region
- cavitation at the blade leading edge



Results Topic 2

Beamforming results “acoustic cavitation signature”

Inline thruster during operation

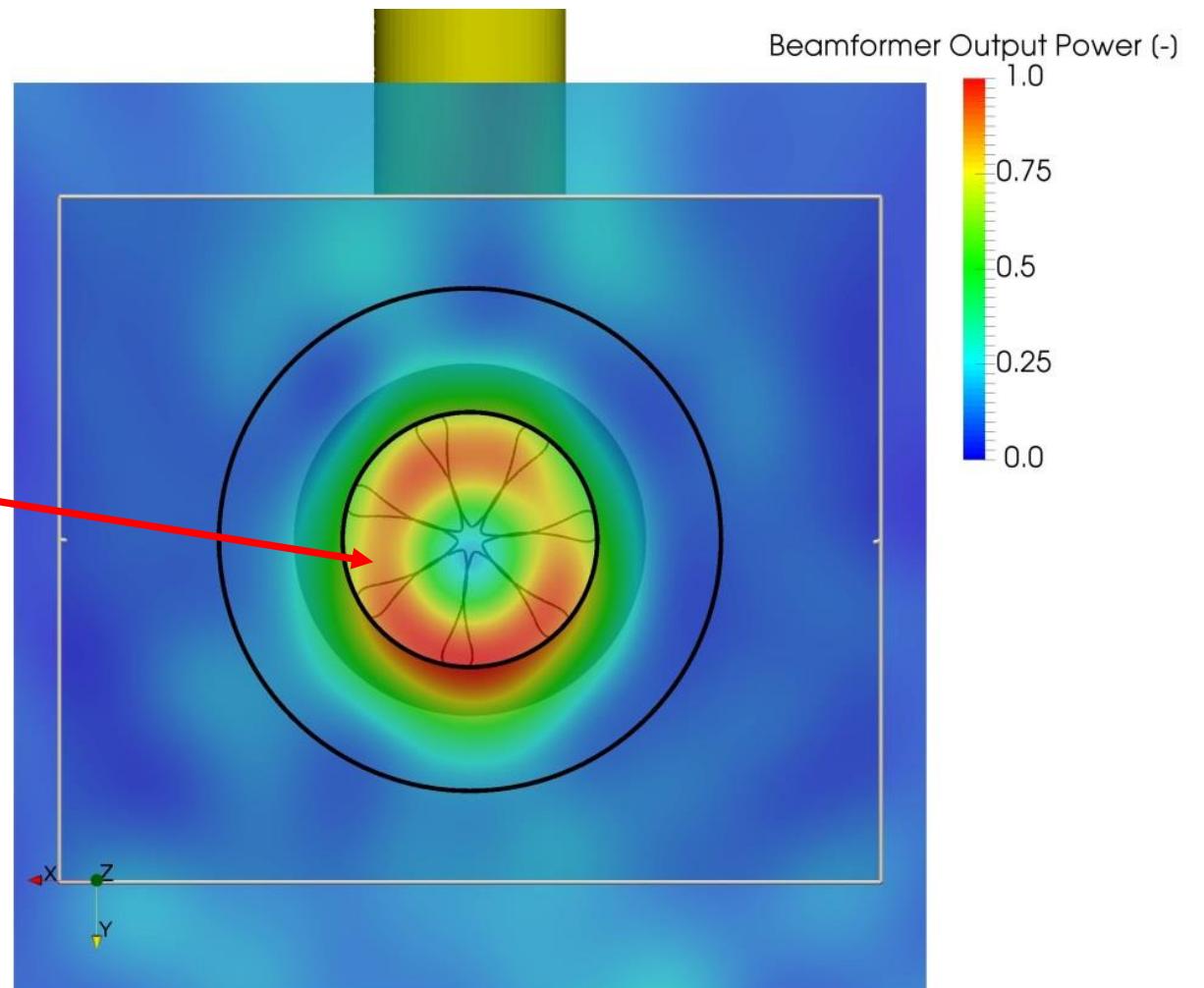
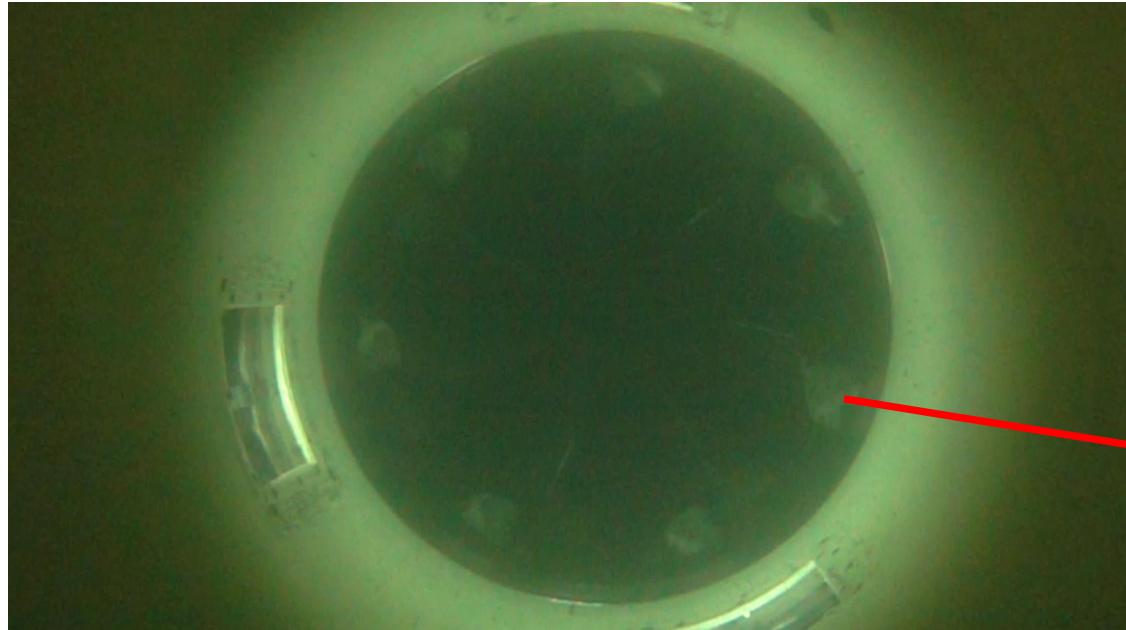




Results Topic 2

Beamforming result “acoustic cavitation signature”

Inline thruster during operation

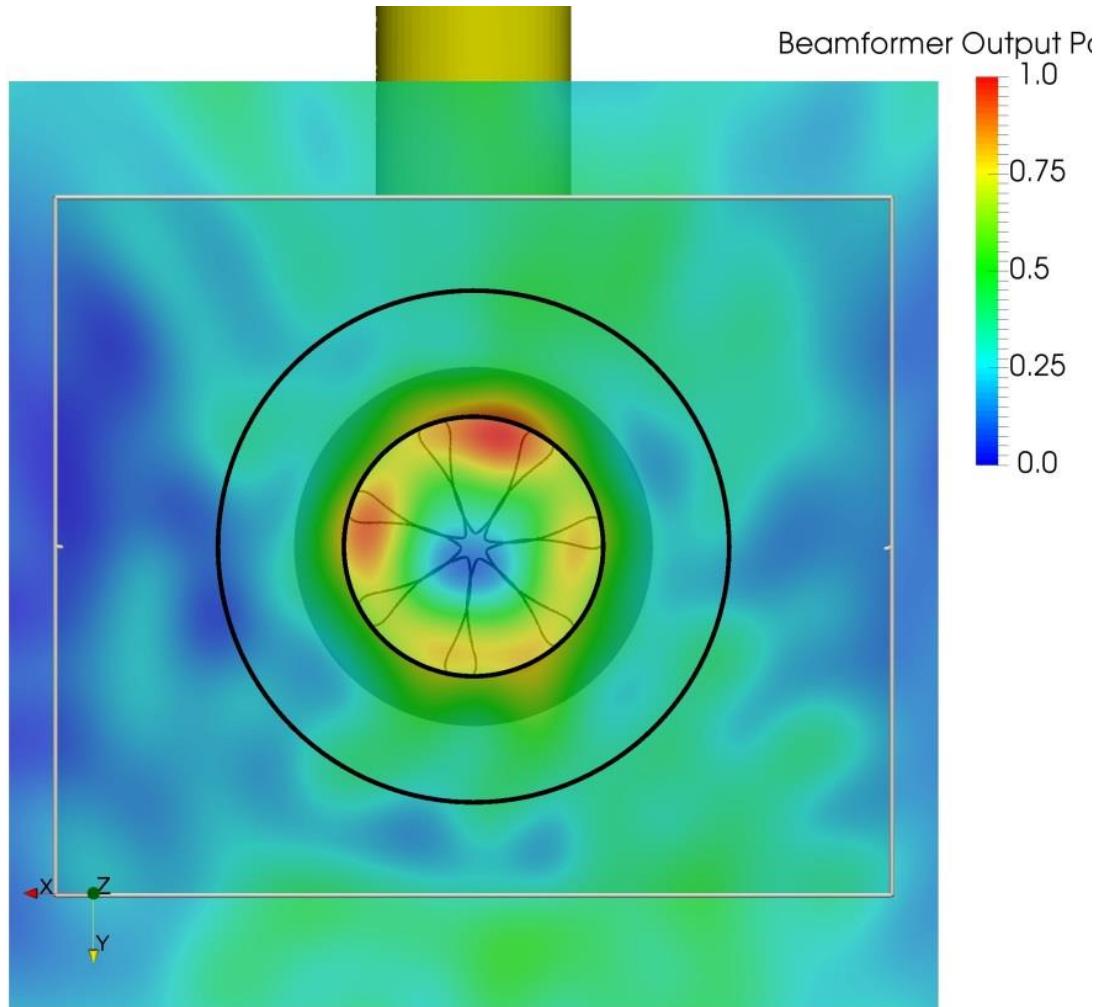


MVDR Beamformer: frequency = 6915 Hz; $f_{\text{Rotation}} = 13.1$ Hz

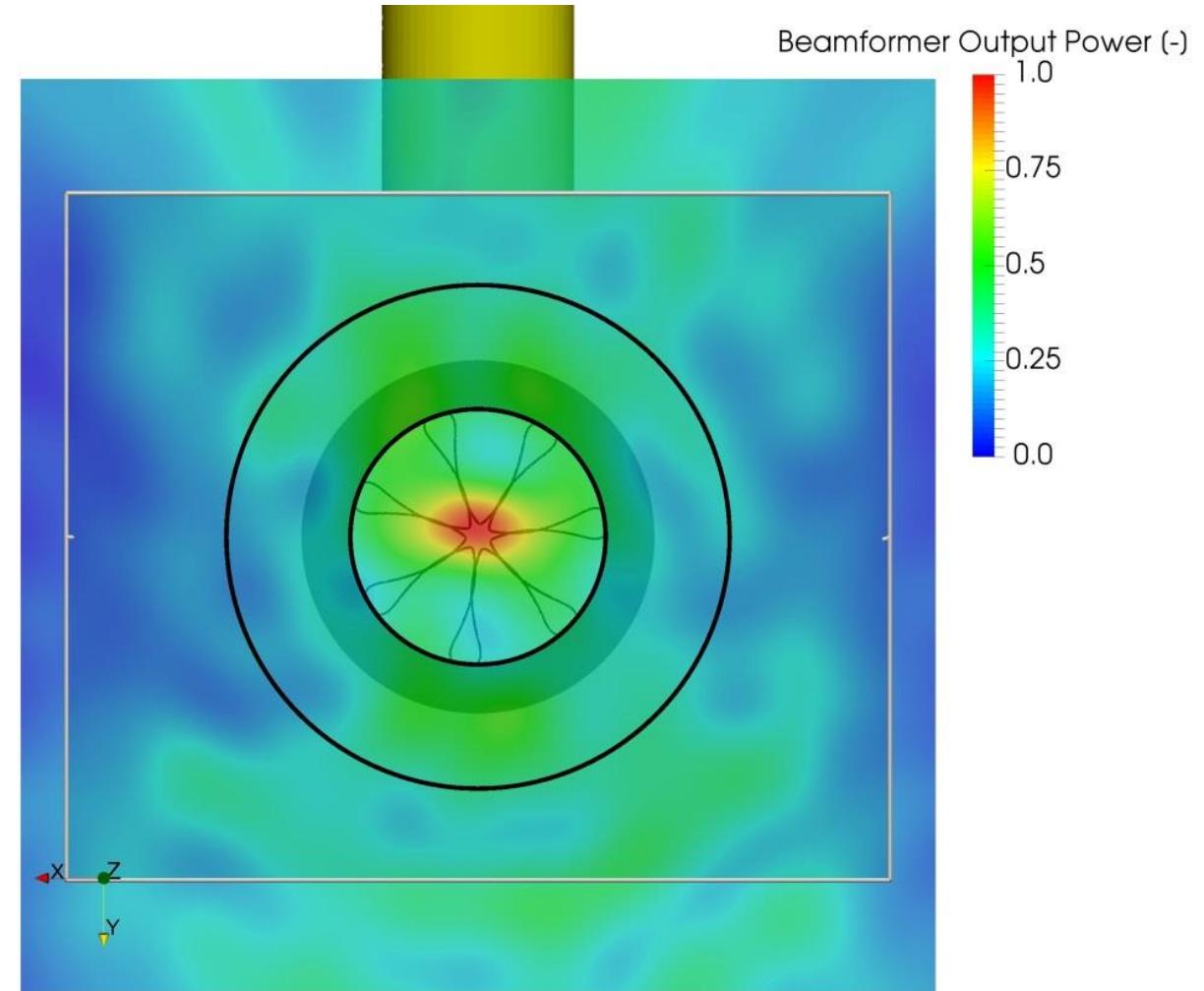


Results Topic 2

Beamforming results



MVDR Beamformer: frequency = 8943 Hz; $f_{\text{Rotation}} = 13.1$ Hz



MVDR Beamformer: frequency = 9856 Hz; $f_{\text{Rotation}} = 13.1$ Hz



Summary

- DES-SBES simulation of the hubless propeller was done for $J=0$
- hydrodynamic wall pressure fluctuations of the SBES were validated by experimental data and showed an acceptable accordance
- good correlation between the hydro acoustic spectrum and the wall pressure spectrum
- POD analysis was applied to the wall pressure field and the entire 3D flow field to separate different coherent flow structures → identification of wall pressure oscillation patterns on the rotor blade caused by flow separation at the leading edge ($f/n = 30, 60$ and 154)
- development of a measurement procedure to analyze rotating noise sources on a hubless propeller system → further development steps are still needed



References

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- **Menter, F. R.:** Best Practice: Scale-Resolving Simulations in ANSYS CFD. ANSYS GERMANY GmbH, Nov. 2015.
- **Berkooz, G.; Holmes, P. and Lumley, J. L.:** The Proper Orthogonal Decomposition in the Analysis of Turbulent Flows. *Journal of Fluid Mechanics*, pp 539-75, 1993.
- **Roache, P. J. :** Perspective A Method for Uniform Reporting of Grid Refinement Studies. Ecodynamics Research Associates, pp 405-413, 1994.
- **Torner, B.; Konnigk, L.; Hallier, S.; Kumar, J.; Witte, M. and Wurm, F.-H.:** Large eddy simulation in a rotary blood pump: Viscous shear stress computation and comparison with unsteady Reynolds-averaged Navier–Stokes simulation. *The International Journal of Artificial Organs (IJAQ)*, pp 1-12, 2018.



Thank you for your attention!

